KHE26: Progress towards an Efficient, Practical Nurse Rostering Solver (Abstract)

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Abstract This paper presents ongoing work on a solver for nurse rostering which is oriented towards practice, in that it aims to find good solutions quickly for a wide range of instances. This abstract shows that the current version of the solver, KHE26, has improved significantly on the previous version on one important data set, of four-week instances from the Second International Timetabling Competition. The full paper will present results for this as well as several other data sets, and will explain how these improvements have been obtained without fundamental changes to the solver.

Keywords Automated timetabling · Nurse rostering

1 Introduction

Nurse rostering, the problem of assigning nurses to shifts in hospital wards, is one of the most-studied problems in automated timetabling.

In a previous paper [7], this author presented KHE24, an open source solver [5] for nurse rostering. KHE24 reads and writes instances and solutions in the XESTT data format [6], in which all of the well-known nurse rostering data sets have been expressed, plus solutions from various sources which are among the best known.

This paper presents KHE26, the current version of that solver. Rather than trying to find new best solutions, KHE24 and KHE26 try to find solutions whose cost is within 10% of the best known, given a 5 minute run on ordinary desktop hardware, and within 5% of the best known, given a 60 minute run on ordinary desktop hardware. If this can be done for a wide range of real-world instances, then the solver will be more useful in practice than solvers that are targeted to specific kinds of instances, or that run for many hours.

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The work reported by the previous paper was avowedly incomplete. KHE24 performed well on two data sets: the Curtois original instances [3] and the First International Timetabling Competition [4] instances. But it performed poorly on instances from the Second International Timetabling Competition [1,2]. Table 4 from [7] shows that, given 5 minutes per instance, KHE24 produced solutions on a standard set of four-week instances from that competition which were on average 34% worse than the best known solutions.

The present paper, when complete, will show that the current version of the solver, KHE26, finds much better solutions. Table 1 presents KHE26's results for the same set of four-week instances from the Second International Timetabling Competition. It shows that, given 5 minutes per instance, KHE26 is producing solutions which are on average 10% worse than the best known solutions. While this is not mission accomplished, because 10% on average is not the same as 10% for each instance, it is a significant improvement on 34% and is approaching the desired outcome.

In addition to presenting results on other data sets, the full paper will explain how this improvement was obtained from a solver which, in outline at least, has not greatly changed.

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Table 1 KHE26 results on 20 standard four-week instances from the Second International Timetabling Competition [1,2], obtained on 26 February 2026. For each instance, column LOR17 shows the cost of the best known solution, as reported in [8] and obtained from the authors of that paper by this author. The running time is reported in [8] to conform to the competition rules but is not present in the file obtained from its authors, so does not appear here; it is about 20 minutes for the largest instances. Column KHE26x12 shows the cost of the best solution obtained by KHE26 over 12 simultaneous 5-minute runs, each with a different random seed, on the author's 12-core desktop computer (the same computer as the one used for testing in the author's KHE24 paper); the ratio of that cost to the cost of the best known solution; and the running time in seconds of the whole run of 12 simultaneous solves (that is, the wall clock time). Choosing the best of several solutions is an integral part of the KHE26 approach, not something that is done just for testing. It is a simple way to exploit the power of multi-core computers, which are now normal on desktops. The XESTT archive file from which this table is derived may be found online, at `http://jeffreykingston.id.au/tt_solns/KHE26-2026-02-26-INRC2-4.xml.gz`. This file contains the actual solutions, not just their costs.

Instances (20)	LOR17			KHE26x12		
	Cost	**Rel.**	**Time**	**Cost**	**Rel.**	**Time**
INRC2-4-030-1-6291	**1695**	1.00	-	1780	1.05	283.8
INRC2-4-030-1-6753	**1890**	1.00	-	1960	1.04	294.4
INRC2-4-035-0-1718	**1425**	1.00	-	1525	1.07	300.1
INRC2-4-035-2-8875	**1155**	1.00	-	1270	1.10	285.6
INRC2-4-040-0-2061	**1685**	1.00	-	1845	1.09	300.2
INRC2-4-040-2-6106	**1890**	1.00	-	2030	1.07	300.1
INRC2-4-050-0-0487	**1505**	1.00	-	1615	1.07	300.4
INRC2-4-050-0-7272	**1500**	1.00	-	1520	1.01	300.2
INRC2-4-060-1-6115	**2505**	1.00	-	2830	1.13	300.4
INRC2-4-060-1-9638	**2750**	1.00	-	3105	1.13	300.2
INRC2-4-070-0-3651	**2435**	1.00	-	2700	1.11	300.5
INRC2-4-070-0-4967	**2175**	1.00	-	2475	1.14	300.5
INRC2-4-080-2-4333	**3340**	1.00	-	3665	1.10	300.6
INRC2-4-080-2-6048	**3260**	1.00	-	3660	1.12	300.4
INRC2-4-100-0-1108	**1245**	1.00	-	1410	1.13	300.5
INRC2-4-100-2-0646	**1950**	1.00	-	2230	1.14	300.4
INRC2-4-110-0-1428	**2440**	1.00	-	2640	1.08	300.3
INRC2-4-110-0-1935	**2560**	1.00	-	2820	1.10	300.4
INRC2-4-120-1-4626	**2170**	1.00	-	2525	1.16	300.3
INRC2-4-120-1-5698	**2220**	1.00	-	2575	1.16	300.3
Average	**2090**	1.00		2309	1.10	298.5